

## Effect of finite temperature in counter differential rotation equilibrium of two-fluid plasma

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Recently, the interesting works by using the non-neutral plasma for which all particles have the same sign of charge are not only to study itself but also to apply to production and confinement of multi-component plasma. There are some projects using two non-neutral plasmas such as efforts to create electron-positron pair plasma or to confine two-fluid plasma consisting of lithium ion ( $\text{Li}^+$ ) plasma and electron ( $\text{e}^-$ ) one.<sup>[1]</sup>

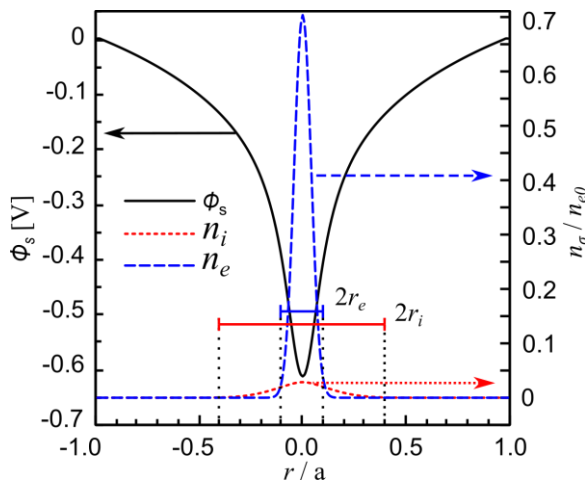
In my presentation, the property of the two-dimensional (2D) counter differential rotation equilibria<sup>[2]</sup> of  $\text{Li}^+$  plasma and  $\text{e}^-$  one with finite temperatures  $T_i$  and  $T_e$  confined cylindrically by a single trap in the uniform magnetic field  $\mathbf{B}$  is described. In the equilibrium,  $\text{Li}^+$  and  $\text{e}^-$  plasmas exhibit corresponding rigid rotations around the plasma axis with the different angular velocities  $\omega_{ri}$  and  $\omega_{re}$  like a two-fluid plasma. It is previously shown that cold two-component plasma support in the differential rotation equilibrium. If the ion and  $\text{e}^-$  plasma have low temperature  $T_i$  and  $T_e$  of near 0 eV, the pressures are negligible, and so the rotation is simply driven by  $\mathbf{B}$  and the self-electronic potential  $\phi_s$  or electronic field  $\mathbf{E} = -\nabla\phi_s$  which the difference between the uniform density of ion plasma  $n_{i0}$  and  $\text{e}^-$  plasma  $n_{e0}$  produces. Considering  $\mathbf{E} \times \mathbf{B}$  drift  $v_\phi$ , it is consistent that the ion plasma and  $\text{e}^-$  plasma rotate in same direction. This is such a simple case that each of  $\omega_{ri}$  and  $\omega_{re}$  can be calculated by  $n_{i0}$  and  $n_{e0}$ . However,

the unrealistic assumption of  $T_i = T_e = 0$  eV is required to achieve the equilibrium. No solutions to the 2D differential rotation equilibrium with the finite temperature of  $T_i$  and  $T_e$  have been published yet, in our knowledge.

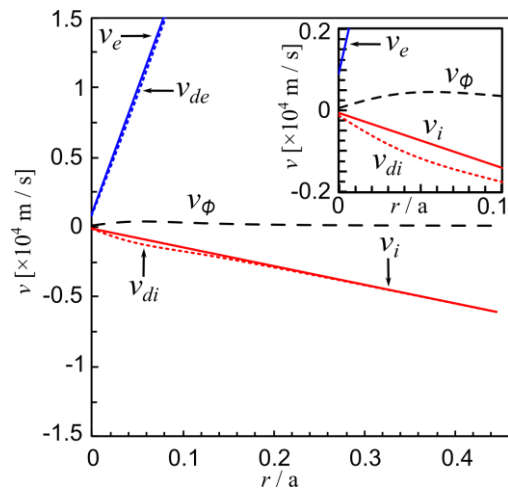
As shown in Figure 1, we obtain one of the solutions of the equilibrium equation calculated numerically. In the calculation,  $n_e$  is always larger than  $n_{i0}$ , which means the system considered in this work is still a kind of non-neutral plasmas. Resultantly, a bell-shaped negative potential well exists in the plasmas;  $\mathbf{E}$  is also non-uniform in the whole system. Nonetheless, both  $\text{Li}^+$  and  $\text{e}^-$  plasmas exhibit corresponding rigid rotations around the plasma axis with different velocities like a two-fluid plasma. Another remarkable thing is that the  $\text{e}^-$  plasma rotates in the same direction as that of  $\mathbf{E} \times \mathbf{B}$ , while the  $\text{Li}^+$  plasma counter-rotates overall, as shown in Figure 2. This counter-rotation is attributed to the contribution from the diamagnetic drift of the  $\text{Li}^+$  plasma  $v_{di}$  owing to its finite ion pressure.

### References

- [1] H. Himura, *Nucl. Instrum. Methods. Phys. Res. B*, **811**: 100-107 (2016).
- [2] Y. Nakajima, H. Himura, A. Sanpei, submitted to *J. Plasma Phys.* (2021).



**Figure 2.** Radial profiles of  $\phi_s(r)$  and  $n_\sigma(r)$  for a set of equilibrium solutions. The conducting wall is at  $r = a$ .



**Figure 1.** Radial profiles of the azimuthal components of  $v_\phi$  (black dashed curves),  $v_{d\sigma}$  (red dotted curves for  $\text{Li}^+$  plasma and blue for  $\text{e}^-$  plasma), and  $v_\sigma$  (two solid red and blue lines) for the set of solutions shown in Figure 1.