

## 8 th Asia-Pacific Conference on Plasma Physics, 3-8 Nov, 2024 at Malacca **Thermodynamics of magnetized plasma through experimental observations: superadiabaticity, entropy and energy content**

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 The study of thermodynamics serves as a crucial tool for comprehending the key concept of self-organization of particles associated with the change of macroscopic magnetic moment in response to plasma heating. Thermodynamic methods have been implemented to investigate magneto-fluid coupling, dusty plasma, plasma heat pump and heat engine. The polytropic index  $(y)$  is an important parameter that characterizes compression or expansion in a thermodynamic system, and equivalently heat transfer processes. In the present study polytropic index of electrons in a magnetized plasma is experimentally investigated under external heating and anisotropic work done in the presence of a dipole magnetic field, incorporating the effective dimensionality [1]. Further, the energy content of the plasma is determined through extensive measurements and modeling within a fluid mechanical and thermodynamic framework [2].

 The study is performed in an electron cyclotron resonance (ECR) generated plasma confined in a dipole magnetic field, created using a single permanent cylindrical magnet, and operated at steady state. The schematic of the device is shown in Fig. 1 [3-6]. Langmuir and electric field antenna probes  $[5]$  are employed for water in  $\frac{1}{\sqrt{2}}$  water out cut: Control unit



Fig. 1. Schematic of the experimental setup.

plasma and wave diagnostics. In the first part of the work, the polytropic index is determined from,

$$
\gamma_{\perp \text{ or } \parallel} = 1 + (\gamma_a^* - 1) \left( 1 - \left( \frac{dQ}{dw} \right)_{\perp \text{ or } \parallel} \right), \quad (1)
$$

where  $dQ$  is the heat supplied to the system,  $dw$  is the work done signifying plasma expansion (or compression) and  $\gamma_a^*$  (= 1 + 2/f<sup>\*</sup>) is the modified adiabatic index in an anisotropic plasma,  $f^*$  being the effective dimensionality [1], which depends on kinetic degrees of freedom *f* and anisotropicity  $\alpha$  (=  $T_{e\perp}/T_{e\parallel}$ ), given by  $f^* = (1 + (f - 1)^2 \alpha^2)/(1 + (f - 1)\alpha^2)$ . The rate of change of total kinetic energy (in eV/s) is given by,

$$
\frac{dQ}{dt} = \frac{eE_{1(\text{L or } \|)}^2}{m_e} \frac{\nu_{h(\text{L or } \|)}}{\nu_{h(\text{L or } \|)}^2 + (\omega - \omega_c)^2} + \frac{r_{e\perp}}{B} \left[ \frac{\partial B}{\partial t} + \overrightarrow{v_E} \cdot \vec{v}B \right] + \left[ T_{e\|} + \frac{m_e}{e} u_{\|}^2 \right] (\overrightarrow{v_E} \cdot \vec{\kappa}), \tag{2}
$$

where  $\widetilde{\vec{F}_1}$  is the wave electric field,  $v_h$  is the electronneutral collision frequency,  $\omega$  and  $\omega_c$  are the angular wave and electron cyclotron frequencies respectively,  $T_{e\perp}$  and  $T_{e\parallel}$  are the electron temperature perpendicular and parallel to the magnetic field  $(\vec{B})$ ,  $\vec{v}_{\vec{E}}$  is the  $\vec{E} \times \vec{B}$ drift velocity,  $\overrightarrow{u_{\parallel}}$  is the fluid flow velocity parallel to  $\vec{B}$  and  $\vec{\kappa}$  (=( $\hat{B} \cdot \vec{\nabla}$ ) $\hat{B}$ ) is the magnetic curvature. In the magneto-static field,  $(\partial B/\partial t) = 0$ . Apart from the local wave-induced heating given by the first term of Eq. 2, particles also gain energy due to acceleration arising from grad-B (second term) and curvature (third term) drifts when it couples with  $\widetilde{\overrightarrow{E_1}}$ . The measurements demonstrated localized regions of superadiabatic electrons when the heating associated with the  $\vec{\nabla}B$  and curvature drift is higher than  $dw$  [6]. In regions where wave-induced heating through ECR dominates, the plasma electrons behave adiabatically.

 Furthermore, we have derived an expression for the Helmholtz free energy (*F*) of the plasma, using total kinetic energy and entropy equations. The internal energy  $(U = T_eS + F)$  is determined by incorporating entropy (*S*) which is independently obtained from the Saha's equation [7], and using the experimentally measured plasma parameters such as electron density and temperature (*N<sup>e</sup>* and  $T_e$ ),  $\widetilde{\overline{F_1}}$  and  $\overrightarrow{B}$ . Results indicate that *U* is governed by the combined effect of *S*,  $T_e$  and  $F$  in the stronger  $B$ region, and primarily by *F* in the weaker *B* region. It was also found that *U* had an anticorrelated spatial profile with *Te*. This may explain the brighter and darker regions in the observed optical emissivity [8] of the dipole plasma.

References

- [1] G. Livadiotis et al., *Astrophys. Journ.* **909**, 127 (2021).
- [2] R. Hazeltine et al., *Phys. Plasmas* **20**, 022506 (2013).
- [3] S. Bhattacharjee et al., *Rev. Mod. Plasma Phys.* **6**, 16 (2022).

[4] A. Nanda and S. Bhattacharjee, *Phys. Plasmas* **29**, 062105 (2022).

- [5] A. Nanda and S. Bhattacharjee, *Phys. Plasmas* **30**, 052107 (2023).
- [6] A. Nanda and S. Bhattacharjee, *arXiv preprint* arxiv: 2402.11937 (2024).
- [7] A. M. Steane, *New Journ. Phys*. **18**, 043022 (2016).
- [8] S. Bhattacharjee et al., *Phys. Scr.* **96,** 035605 (2021).